\bigvee



#56							
a.						b. What patterns do	
θ (radians)	θ (degrees)	cos(θ)	sin(θ)	tan(θ)		you notice between the values in your table and the coordinates of the corresponding points?	
0	0°						
$\frac{\pi}{6}$	30						
<u>π</u> 4							
<u>π</u> 3							
<u>π</u> 2							
$\frac{2\pi}{3}$							
$\frac{3\pi}{4}$							
$\frac{5\pi}{6}$							
π							
$\frac{7\pi}{6}$						c . State a range of values for $cos(\theta)$. Then state a range for $sin(\theta)$. Why are these ranges limited to the stated values?	
$\frac{5\pi}{4}$							
$\frac{4\pi}{3}$							
$\frac{3\pi}{2}$							
$\frac{5\pi}{3}$							
$\frac{7\pi}{4}$							
$\frac{11\pi}{6}$							
2π							
					-		

#57

Conor draws a circle with a radius of 3 and uses a special right triangle to label the

coordinates. He determines that $\sin \left(\frac{5\pi}{6}\right)$ is equal to 1.5, the value of the *y*-coordinate. Is Conor correct? Why or why not?



#58					
a. Review the diagram at right. In terms of x and y, what does $tan(\theta)$ equal?	θ				
b. In terms of sin(θ) and cos(θ), what does tan(θ) equal?					
c.How can tan(θ) be described geometrically?	d.Do your answers for part (a) and part (b) work for circles with radii other than one? Explain your reasoning.				
e.Add a column to your table from problem 2-56 for $tan(\theta)$. Complete this column using your observations from parts (a) through (d).	f.State a range of values for $tan(\theta)$.				

#59 Sketch a unit circle. Then draw a right triangle with its base on the *x*-axis and vertex at the origin in your unit circle, as shown in the diagram in problem 2-58.

a.Write the equation of the unit circle.

b.Using what you know about x and y in the unit circle, rewrite the equation in terms of $sin(\theta)$ and $cos(\theta)$.

c.The equation you found in part (b) is referred to as the **Pythagorean Identity**. Why do you think it is named as such?