

Compound Interest

A = Final Amount

P = Initial Principal Balance

r = Interest Rate

n = Number of times interest is applied per time period

t = number of time periods elapsed

$$A = P \left(1 + \frac{r}{n} \right)^{nt}$$

Romelle has saved \$4000 and plans to invest it in an account earning 5% interest, compounded quarterly. Assuming no further deposits, how much money will Romelle have in the savings account after t years?

I. Why is an exponential model appropriate?

Since we multiply the balance each time by the same number an exponential model is appropriate.

II. Write an equation that models the situation

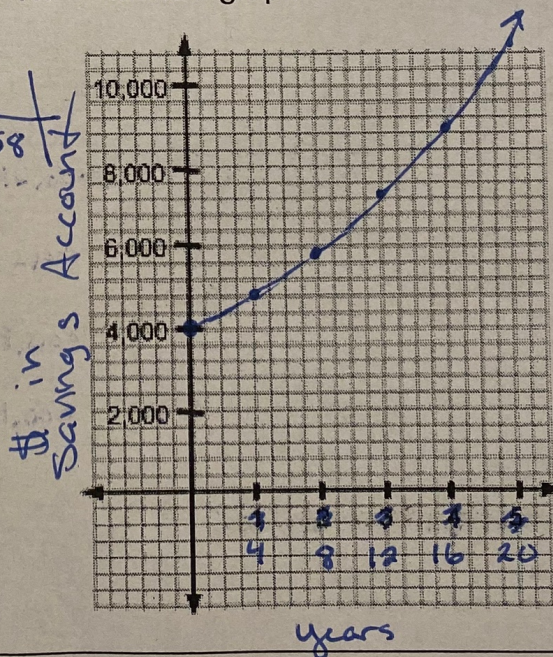
$$f(t) = 4000 \left(1 + \frac{.05}{4} \right)^{4t} \rightarrow f(t) = 4000 (1.0125)^{4t}$$

III. Make a table

time years	0	4	8	12	16
\$	4000	4880	5953	7261	8858

$$\frac{20}{10906}$$

IV. Make a graph



Standard Exponential Functions

a = Initial Amount

b = multiplier or constant ratio

h = horizontal shift

k = vertical shift

$$y = ab^{(x-h)} + k$$

* Exponential graphs can be written without the horizontal shift and not all exponential graphs have a vertical shift.

A scientist is growing bacteria, starting with a culture of 5 bacteria. Bacteria "grow" by multiplying. After 2 hours there are 14 bacteria. How many bacteria will be present after t hours?

I. Why is an exponential model appropriate?

Since the bacteria is multiplying each time an exponential model is appropriate

II. Write an equation that models the situation.

$$f(t) = a \cdot b^t$$

$$f(t) = 5 \cdot b^t$$

$$14 = 5 \cdot b^2$$

$$\frac{14}{5} = b^2$$

$$1.67 \approx b$$

$$f(t) = 5(1.67)^t$$

III. Make a table

t hours	0	2	4	6	8	10
$f(t)$ # of bacteria	5	14	39	108	302	844

IV. Make a graph

